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### Objectives

- Understand when and why we use independent, one-way ANOVA
- Be able to interpret an ANOVA table
- Interpret post hoc tests after a significant ANOVA



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Does distance it takes to stop car at 60 mph depend on tire brand?

Brand1	Brand2	Brand3	Brand4	Brand5
194	189	185	183	195
184	204	183	193	197
189	190	186	184	194
189	190	183	186	202
188	189	179	194	200
186	207	191	199	211
195	203	188	196	203
186	193	196	188	206
183	181	189	193	202
188	206	194	196	195

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### Sample Descriptive Statistics

Brand	N	MEAN	SD
1	10	188.20	3.88
2	10	195.20	9.02
3	10	187.40	5.27
4	10	191.20	5.55
5	10	200.50	5.44

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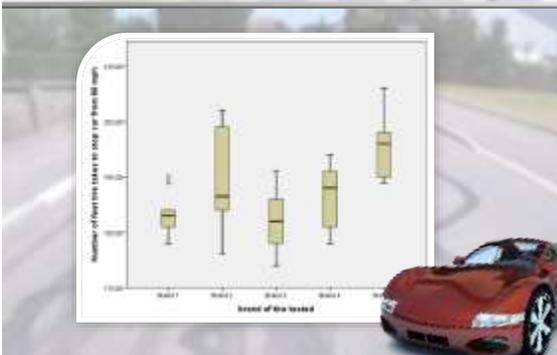
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### Visualizing The Tire Data




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They look similar. Why don't we just do a bunch of t-tests?

- **t test** =  $\frac{\text{difference b/t sample means}}{\text{variability within distribution(s)}}$
- **F test** =  $\frac{\text{"average" difference among sample means}}{\text{"average" variability among distributions}}$

Conducting 7 t tests from the same sampling distribution (under the same hypothesis) using  $\alpha = 0.05$  each time would result in overall Type I error of about .35

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### Hypotheses Words & Symbols

- $H_0$ : sample (population) averages are all equal  

$$\mu_1 = \mu_2 = \dots = \mu_k$$

or

$$\bar{X}_1 = \bar{X}_2 = \dots = \bar{X}_5$$
- $H_1$ : at least one sample (population) mean differs significantly from one other  
 –  $H_1$ : at least one  $\mu$  differs significantly from one other  $\mu$

k = total number of groups

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### Table of Critical F Values

- Go to your table of critical F values
- What do you notice about the table?
- If  $df = 4,45$  and  $F_{\text{comp}} = 7.95$ , is there a statistically significant difference somewhere among your group averages?  
At .05? At .01?
- **F IS NEVER NEGATIVE!**




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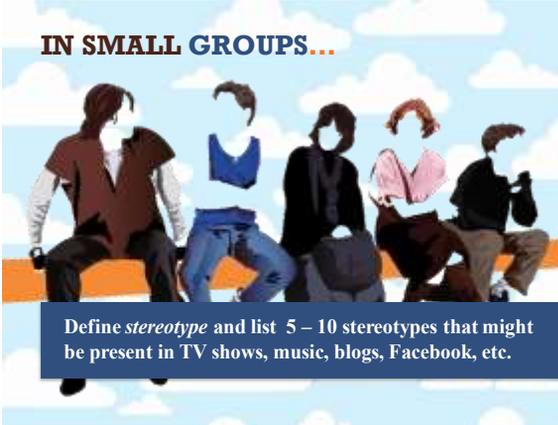
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**IN SMALL GROUPS...**



Define *stereotype* and list 5 – 10 stereotypes that might be present in TV shows, music, blogs, Facebook, etc.

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Media Consumption & Stereotyping

The local parent-teacher association researched the impact of media on children's level of stereotyping (DV). As part of the research, child participants were assigned to increased exposure to either *popular music*, *television* or a *control group* (IV). The stereotyping scale went from 0 to 20 (0=low stereotyping, 20=high). Scores for each group are listed below. Use the steps of hypothesis testing and the ANOVA table to decide whether type of media has no impact on level of stereotyping.

- 1. Control scores: 6, 5, 4, 2, 1, 0
- 2. Pop music: 10, 8, 9, 7, 5, 3
- 3. TV scores: 11, 12, 10, 10, 9, 8

Group	DF	SS	MS	F	P
Between	2	148	74	15.42	p < .05
Within	15	72	4.8		
Total	17	220			

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Media Consumption & Stereotyping

Source	DF	SS	MS	F	P
Between	2	148	74	15.42	p < .05
Within	15	72	4.8		
Total	17	220			

**CONCLUSIONS FOR SIGNIFICANT F**

- a. "A one-way ANOVA was conducted to determine..."
- b. "There was sufficient evidence to reject the null hypothesis...F(2, 15)..."
- c. "These findings mean that..."
- d. "Further post-hoc testing is necessary to determine which pairwise differences are statistically significant..."

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## Summary of ANOVA

- Easier than multiple t-tests
- Circumvents Type I error inflation
- Group means vs. grand mean
  - significant F if even one mean significantly different from grand mean
- ANOVA hypothesis is non-directional
  - need post-hoc testing if null rejected

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## Post-Hoc Testing: Finishing Off a Significant ANOVA

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## POST HOC TESTING

- $F_{comp}$  shows sig diff somewhere among group averages
- However, must use post-hoc tests to determine specific “pairwise” diffs
  - Protection from Type I error
  - Fisher’s least significant difference (LSD) method
    - LSD: smallest stat sig diff between two group averages

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## LSD Table of Mean Differences

(I) groups	(J) groups	Mean Difference (I-J)	Std. Error	Sig.	95% CI	
					Lower Bound	Upper Bound
Control	Popular Music	-4.0 <sup>*</sup>	1.26491	.006	-6.6961	-1.3039
	Television	-7.0 <sup>*</sup>	1.26491	.000	-9.6961	-4.3039
Popular Music	Control	4.0 <sup>*</sup>	1.26491	.006	1.3039	6.6961
	Television	-3.0 <sup>*</sup>	1.26491	.032	-5.6961	-.3039
Television	Control	7.0 <sup>*</sup>	1.26491	.000	4.3039	9.6961
	Popular Music	3.0 <sup>*</sup>	1.26491	.032	.3039	5.6961

\* The mean difference is significant at the 0.05 level.

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## Post-Hoc LSD Interpretation

### CONCLUSIONS FOR LSD

7a. A Fisher's LSD, post-hoc test was conducted to determine which pairwise differences...

7b. Our LSD test revealed that average level of stereotyping for TV watchers is significantly...

7c. Given these findings, parents would be advised...activist groups should target...more education about pervasive stereotype influences...

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